CORRECTIONS ON
ROTATION C^*-ALGEBRAS AND ALMOST MATHIEU OPERATORS

FLORIN-PETRE BOCA

Page 12, line -1: is isomorphic to A_α. $\Rightarrow$ is isomorphic to A_α when $\alpha \notin \mathbb{Q}$.

Page 13, line -14: $h_S = \frac{1}{4}(\lambda_x + \lambda_x^* + \lambda_y + \lambda_y^* + \lambda_z + \lambda_z^*)$ $\Rightarrow$ $h_S = \frac{1}{6}(\lambda_x + \lambda_x^* + \lambda_y + \lambda_y^* + \lambda_z + \lambda_z^*)$.

Page 24, line -13: $\begin{pmatrix} 0 & 1 & 0 & \dots & 0 & 0 \\ 0 & 0 & 1 & \dots & 0 & 0 \\ \vdots & \vdots & \vdots & \ddots & \vdots & \vdots \\ 0 & 0 & 0 & \dots & 0 & 1 \\ \iota & 0 & 0 & \dots & 0 & 0 \end{pmatrix}$ $\Rightarrow$ $\begin{pmatrix} 0 & 1 & 0 & \dots & 0 & 0 \\ 0 & 0 & 1 & \dots & 0 & 0 \\ \vdots & \vdots & \vdots & \ddots & \vdots & \vdots \\ 0 & 0 & 0 & \dots & 0 & 1 \\ \iota & 0 & 0 & \dots & 0 & 0 \end{pmatrix}^t$

Page 25, line 13: $a = \sum_{j,k=1}^{q} e_{j,k} E(e_{k,j} a)$ $\Rightarrow$ $a = q \sum_{j,k=1}^{q} e_{j,k} E(e_{k,j} a)$

Page 31, line 11: operators on $\mathfrak{H}$ $\Rightarrow$ self-adjoint operators on $\mathfrak{H}$

Page 36, line -3: $\Delta_{\frac{p}{q}}(E,\lambda) = D_{\frac{p}{q}}\left(E,\lambda,\frac{1}{2q}\right)$ $\Rightarrow$ $\Delta_{\frac{p}{q}}(E,\lambda) = D_{\frac{p}{q}}\left(E,\lambda,\frac{1}{4q}\right)$.

Page 73, formula (7.9): $\cdots = E_0 + \mu \frac{\langle BP_\mu \phi_\pm, \phi_\pm \rangle}{\langle P_\mu \phi_\pm, \phi_\pm \rangle}$ $\Rightarrow$ $\cdots = E_1 + \mu \frac{\langle BP_\mu \phi_\pm, \phi_\pm \rangle}{\langle P_\mu \phi_\pm, \phi_\pm \rangle}$.

Page 77, line 2: $\sum_{k=0}^{q-1} x_k(\lambda) = -\sum_{k=0}^{q-1} y_k(\lambda) = 2 - \lambda$ $\Rightarrow$ $\sum_{k=0}^{q-1} (-1)^k x_k(\lambda) = -\sum_{k=0}^{q-1} (-1)^k y_k(\lambda) = 2 - \lambda$

Page 78, formulas (7.16) and (7.17): $\sum_{k=0}^{q-1} x_k(\lambda)$ $\Rightarrow$ $\sum_{k=0}^{q-1} (-1)^k x_k(\lambda)$

Page 84, line 10: $= |\mathrm{spec}(H_{\frac{p}{q},\lambda})|$ $\Rightarrow$ $\leq |\mathrm{spec}(H_{\frac{p}{q},\lambda})|$

Page 86, line -1: $= \bigcup_{z\in\mathbb{T}^2} \mathrm{spec}\big(\pi_z(T_{\frac{p}{q},\lambda})\big) = \mathrm{spec}(T_{\frac{p}{q},\lambda})$ $\Rightarrow$ $= \bigcup_{z\in\mathbb{T}^2} \mathrm{spec}\big(\pi_z(T_{\frac{p}{q},\lambda})\big) \subset \mathrm{spec}(T_{\frac{p}{q},\lambda})$.

Page 90, line 12: Assume now that $\lambda > 1$. $\Rightarrow$ Assume now that $\lambda > 1$ and denote $\mathbb{T}_\lambda = \lambda\mathbb{T}$.

Page 99, line -7: $\tau(|z1_M - a|) = \log\Delta(z1_M - a) = \cdots$ $\Rightarrow$ $\tau(\log|z1_M - a|) = \log\Delta(z1_M - a) = \cdots$

Page 105, line -9: $\Phi_1, \Phi_2 \in \mathscr{S}(M)$ $\Rightarrow$ $\Phi_1, \Phi_2 \in \mathscr{S}(G)$

Page 122, line 10: $\sum_{\substack{m_1\in\{-1,0,1\}\\ m_2\in\mathbb{Z}}} \frac{1}{\alpha} \langle \sqrt{\xi_1}, \sqrt{\xi_1}\rangle_{\Gamma_1}(m_1\varepsilon_1 + m_2\varepsilon_2)$ $\Rightarrow$ $\sum_{\substack{m_1\in\{-1,0,1\}\\ m_2\in\mathbb{Z}}} \frac{1}{\alpha} \langle \sqrt{\xi_1}, \sqrt{\xi_1}\rangle_{\Gamma_1}(m_1\varepsilon_1 + m_2\varepsilon_2) U_2^{m_2} U_1^{m_1}$.

Page 124, line 14: Therefore $\Rightarrow$ Therefore, assuming $R(\Gamma) = \Gamma$, we have

Page 127, line 8: $\sum_{n\in\mathbb{Z}} e^{\pi i n^2 \tau + 2\pi i m z}$ $\Rightarrow$ $\sum_{n\in\mathbb{Z}} e^{\pi i n^2 \tau + 2\pi i n z}$.

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